

# Publication List

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(Abstracts and technical reports are not included.)

- [1] Gerald E. Sacks and Stephen G. Simpson, The  $\alpha$ -finite injury method, *Annals of Mathematical Logic*, **4**, 1972, pp. 343–367.
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- [5] Stephen G. Simpson, Post’s problem for admissible sets, in: *Generalized Recursion Theory*, edited by J.-E. Fenstad and P. G. Hinman, North-Holland, Amsterdam, 1974, pp. 437–441.
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